1.5 - Angle Relationships

Goals Aligned to Common Core State Standards:

- You will identify and use special pairs of angles and perpendicular lines.
- You will construct perpendiculars.

Pairs of Angles



Vertical

2

Angles: <u>angles opposite of each other created by</u> 2 intersecting lines. <u>example</u> <u>nonexample</u>





Symbol in picture:

4.) If \angle BGD is a right angle and point C is in the interior of that angle, find x when m \angle BGC=16x-4 and m \angle CGD=2x+13.

$$\frac{10x - 4 + 2x + 13 = 90}{18x + 9 = 90}$$

$$\frac{18x + 9 = 90}{18x = 81}$$

$$\boxed{x = 4.5}$$



Pg. 55 Construct Perpendiculars through point on and
off line.Assumptions:
You cannot assume things are congruent or
perpendicular just because they look like it!KeyConcept Interpreting DiagramsCAN be AssumedAll points shown are coplanar.
 \vec{HM} , \vec{HL} , \vec{HK} , and \vec{GJ} intersect at \vec{H} .HMM, \vec{HL} , \vec{HK} , and \vec{GJ} intersect at \vec{H} .

Examples: Determine whether each statement can be assumed from the figure. Explain.

8) $\angle NQO$ and $\angle OQP$ are complementary.

9) \angle *SRQ* and \angle *QRP* is a linear pair.

H is between G and J.

angles.

L is in the interior of $\angle MHK$.

 $\angle GHM$ and $\angle MHL$ are adjacent

 \angle GHL and \angle LHJ are a linear pair.

 \angle JHK and \angle KHG are supplementary.

10) $\angle MQN$ and $\angle PQR$ are vertical angles.



 $\angle KHL \cong \angle LHM$

 $\overline{HJ} \cong \overline{HK}$

 $\overline{HK} \cong \overline{HL}$

 $\overline{HL} \cong \overline{HG}$

Congruent segments: $\overline{GH} \cong \overline{HJ}$

Goals Aligned to Common Core State Standards:

- You can identify and use special pairs of angles and perpendicular lines.
- You can construct perpendiculars.

